Standard Weight (W_s) Equations for Four Rare Desert Fishes

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Abstract.—Standard weight (W_s) equations have been used extensively to examine body condition in sport fishes. However, development of these equations for nongame fishes has only recently been emphasized. We used the regression-line-percentile technique to develop standard weight equations for four rare desert fishes: flannelmouth sucker Catostomus latipinnis, razorback sucker Xyrauchen texanus, roundtail chub Gila robusta, and humpback chub G. cypha. The Ws equation for flannelmouth suckers of 100-690 mm total length (TL) was developed from 17 populations: $\log_{10}W_s = -5.180 +$ 3.068 \log_{10} TL. The W_s equation for razorback suckers of 110-885 mm TL was developed from 12 populations: $\log_{10}W_s = -4.886 + 2.985 \log_{10}TL$. The W_s equation for roundtail chub of 100-525 mm TL was developed from 20 populations: $\log_{10}W_s = -5.065 + 3.015$ \log_{10} TL. The W_s equation for humpback chub of 120– 495 mm TL was developed from 9 populations: $\log_{10}W_s$ $= -5.278 + 3.096 \log_{10}TL$. These equations meet criteria for acceptable standard weight indexes and can be used to calculate relative weight, an index of body condition.

Relative weight (W_r) , introduced by Wege and Anderson (1978), is used widely by North American inland fisheries managers as a measure of body condition of fish. Before computing W_r for individual fish and populations, a standard weight (W_s) equation must be developed for the species. Relative weight has been used primarily to assess the status of sport fishes. However, the often strong relation between fish growth and environmental quality suggests that relative weight might also have value in assessment of populations of native, nongame fishes, especially those threatened and endangered. Therefore, recent emphasis has been

Flannelmouth suckers Catostomus latipinnis, razorback suckers Xyrauchen texanus, roundtail chub Gila robusta, and humpback chub G. cypha occupy the Colorado River basin (Minckley 1973). Roundtail chub are found in several southwestern states and are listed under the U.S. Endangered Species Act as a species of concern. Humpback chub are most abundant at the confluence of the Colorado and Little Colorado rivers and are listed as endangered under federal legislation (Holden and Minckley 1980; Douglas and Marsh 1996; Meretsky et al. 2000). Flannelmouth sucker are listed as a species of concern under the U.S. Endangered Species Act. Within Grand Canyon, flannelmouth suckers occur in greatest abundance in the Little Colorado River and its confluence with the main stem of the Colorado River. Razorback suckers are listed under the U. S. Endangered Species Act as endangered. Natural reproduction is rare and young fish are seldom found. Currently, most fish collected in nature were produced by hatcheries. All four of these species have declined during the past century. The primary reasons for the reduced range and abundance of these species are habitat alterations and the introduction of nonnative fishes (Cross 1978; Bestgen and Propst 1989; McElroy and Douglas 1995; Marsh and Douglas 1997; Tyus and Saunders 2000). Our objective was to develop standard weight equations for these four, rare species.

Methods

Weight-length data for flannelmouth suckers, razorback suckers, roundtail chub, and humpback chub were obtained from biologists from fisheries agencies and universities of southwestern states and represent the full geographic range of these species. Currently, most W_s equations are estimated by the regression-line-percentile (RLP) technique developed by Murphy et al. (1990). The

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placed on developing these equations for nongame species (Bister et al. 2000).

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Table 1.—Populations used to develop a W_s equation and parameters for $\log_{10}(\text{weight})-\log_{10}(\text{length})$ regressions for flannelmouth suckers, razorback suckers, roundtail chub, and humpback chub in Arizona (AZ), Colorado (CO), Nevada (NV), New Mexico (NM), Utah (UT), and Wyoming (WY).

			Regression parameters						
Populations	State	Sample size	Intercept	Slope	r^2				
Flannelmouth sucker									
Tapeats Creek	AZ	11	-4.617	2.861	0.950				
Spencer Creek	AZ	32	-5.138	3.012	0.980				
Shinumo Creek	AZ	162	-5.185	3.072	0.958				
Havasu Creek	AZ	776	-5.325	3.114	0.983				
Kanab Creek	AZ	1,165	-5.248	3.091	0.987				
Paria Creek	AZ	1,566	-5.155	3.025	0.925				
Colorado River	AZ	5,001	-5.254	3.096	0.990				
Little Colorado River	AZ	6,187	-5.521	3.181	0.990				
San Juan River	UT	32,358	-5.241	3.068	0.973				
Green River	UT	179	-5.103	3.027	0.968				
Burnt Lake	WY	11	-5.331	3.126	0.995				
Halfmoon Lake	WY	88	-4.707	2.884	0.990				
Willow Lake	WY	10	-5.825 -5.259	3.308	0.995				
Gunnison River Colorado River	CO CO	3,132 810	-5.239 -5.027	3.100 3.004	0.976 0.982				
White River	UT, CO	298	-3.027 -4.961	2.972	0.982				
Yampa River	CO	398	-5.537	3.195	0.967				
Tumpu Terver		rback sucker		5.175	0.707				
Lake Mohave	AZ, NV	3,670	-4.893	2.988	0.834				
Lake Mead, Las Vegas Bay	NV	101	-4.863	2.997	0.890				
Lake Mead, Echo Bay	NV	128	-5.280	3.127	0.933				
Granite Creek	AZ	27	-5.139	3.061	0.981				
Upper Verde River	AZ	162	-4.807	2.913	0.976				
Middle Verde River	AZ	398	-5.049	3.024	0.962				
Workman Creek	AZ	17	-4.668	2.856	0.979				
Carrizo Tank	AZ	13	-4.469	2.853	0.915				
Stehr Lake	AZ	12	-4.453	2.833	0.924				
San Juan River	UT	72	-5.146	3.064	0.841				
Green River	UT	218	-5.130	3.059	0.975				
Yampa River	CO _	27	-5.036	3.013	0.815				
II II D'		ındtail chub	4.070	2.022	0.000				
Upper Verde River	AZ	1,426	-4.870	2.932	0.980				
Middle Verde River Lower Verde River	AZ AZ	38 660	-5.041	3.005	0.927				
Cherry Creek	AZ AZ	14	-5.071 -5.748	3.000 3.332	0.948 0.981				
Upper Salt River	AZ AZ	17	-5.113	3.034	0.935				
Lower Salt River	AZ	53	-5.440	3.170	0.981				
West Clear Creek	AZ	78	-5.076	3.004	0.976				
Bill Williams River	AZ	41	-4.923	2.952	0.973				
Fremont Lake	WY	26	-4.899	2.994	0.969				
Halfmoon Lake	WY	114	-4.948	2.946	0.960				
Willow Lake	WY	68	-5.032	2.994	0.967				
San Juan River	UT	24	-5.092	3.026	0.979				
Green River	UT	79	-5.209	3.038	0.922				
White River	UT, CO	43	-4.830	2.927	0.960				
Lower Colorado River	UT	42	-4.545	2.802	0.965				
Westwater Canyon	UT	2,157	-5.025	2.995	0.915				
Black Rocks Canyon	CO	832	-5.001	2.953	0.923				
Upper Colorado River	CO	213	-5.112	3.014	0.953				
Gunnison River	CO	1,932	-4.757	2.879	0.977				
Yampa River	CO	80	-5.519	3.190	0.968				
Fossil Creek ^a	AZ	79	-4.872	2.963	0.926				
Spring Creek ^a Fact Fork of Gila Biyor ^a	AZ NM	98	-4.860 -4.760	2.968	0.972				
East Fork of Gila River ^a	NM	10	-4.760	2.921	0.980				
Humpback chub									
Colorado River Little Colorado River	AZ AZ	3,728 34,609	-5.141 -5.627	3.044	0.986				
Havasu Creek	AZ AZ	54,609 60	-5.627 -5.845	3.208 3.330	0.975 0.972				
TIAVASU CICCA	AL	00	J.0 4 J	5.550	0.714				

		Sample	Regression parameters		
Populations	State	size	Intercept	Slope	r^2
Shinumo Creek	AZ	27	-5.450	3.173	0.978
Green River	UT	230	-4.789	2.868	0.945
Cataract Canyon	UT	26	-4.452	2.718	0.893
Westwater Canyon	CO	1,833	-4.733	2.835	0.906
Black Rocks Canyon	CO	865	-4.393	2.700	0.948
Yampa River	CO	215	-4.974	2.926	0.958

^a Roundtail chub populations were recently reclassified as headwaters chub; they were not used in development of the W_s equation.

RLP technique is based on log₁₀(weight)log₁₀(length) regressions developed for different populations of the same species. The fish in our data sets were separated into distinct populations. When the Universal Transverse Mercator (UTM) coordinates of sample locations were available, they were overlaid on a map of southwestern water bodies to detect clusters of sample sites in different rivers or clusters separated by some distance on the same river. More commonly, UTM coordinates were not available, and in these cases all fish sampled at the same sampling site or water body were considered to belong to one population. Razorback suckers from Lake Mead were separated into two populations: Las Vegas Bay and Echo Bay. According to local biologists (Paul Holden, Bio-West Inc., personal communication), these two populations do not interbreed.

We obtained data for 17 populations of flannel-mouth suckers, 23 populations of roundtail chub, 9 populations of humpback chub, and 12 populations of razorback suckers, each with 10 or more individuals in the samples (Neumann and Flammang 1997; Rogers and Koupal 1997; Hyatt and Hubert 2000; Table 1). The taxonomy of roundtail chub and relatives is complicated, and some fish recorded as roundtail chub in Fossil Creek, Spring Creek, and the East Fork of the Gila River were recently reclassified as a new species, the headwater chub *G. nigra* (Minckley and DeMarais 2000). Thus, these 3 tributaries were eliminated from our analysis of roundtail chub, leaving us with 20 populations.

Southwestern rivers are characterized by variable conditions over years, and data were scarce for these fishes. Therefore, we pooled data from one population over all years to develop each W_s equation. Including weight–length data for all available years represents the maximum possible range of condition for a population. Because fish sex was not indicated in all samples, we pooled weight–length data for males and females by pop-

ulation. To detect outlier values, log(weight) was plotted against log(length) for each population. Evident outliers (mean \pm 0.5 SD) were not used in development of the W_s equation.

Developers of W_s equations recommend using minimum lengths in these equations because weight measurements of small fish tend to have low precision and accuracy (Anderson and Neumann 1996). The minimum total lengths for our W_s equations were found by plotting the ratio of the variance to the mean for $\log_{10}(\text{weight})$ by 1-cm intervals; the length at which this ratio exceeded 0.01 was designated as the minimum length for the equations (Murphy et al. 1990).

The RLP technique was applied as suggested by Murphy et al. (1990). Fish weight and length values were log₁₀ transformed. For each population, log₁₀(weight)-log₁₀(length) regressions were developed and mean log₁₀(weights) were predicted for each 10-mm length increment. These predicted log₁₀(weights) were back-transformed to weights in grams. Slopes of log₁₀(weight)-log₁₀(length) regressions of individual populations were plotted against y-intercepts to detect population samples that could be outliers (Brown and Murphy 1996). The 75th percentile of expected weight in each 10mm length interval was computed based on all populations. These 75th percentile expected weights were then log₁₀ retransformed and regressed on log₁₀(length) to determine slope and yintercept for the W_s equation.

We used the bootstrap technique of Brown and Murphy (1996) to determine if the number of populations used was sufficient to generate a robust W_s equation. Slopes from $\log_{10}(\text{weight})$ - $\log_{10}(\text{length})$ regressions for a population were used as modeling parameters. Slopes were randomly selected with replacement (300 iterations). Arithmetic mean and sample variance of slopes were computed for each incremental sample size (N = 2-17) for flannelmouth sucker; N = 2-20 for roundtail chub; N = 2-9 for humpback chub; and

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N = 2-12 for razorback sucker). Next, we plotted variance in slope values against increasing sample size. The number of populations needed to produce a sample variance of less than 0.002 was used for our decision criterion (Brown and Murphy 1996).

Results and Discussion

We found no population outliers for any species when we regressed the slope of log₁₀(weight)- $\log_{10}(\text{length})$ regressions on the y-intercept for all populations. Minimum total lengths were 100 mm for flannelmouth suckers, 110 mm for razorback suckers, 100 mm for roundtail chub, and 120 mm for humpback chub (Figure 1). Within razorback sucker populations, we often had few fish of the same length, which created a problem using the variance:mean ratio as a criterion for identifying useful data. For example, for some length intervals (especially for large fish) there were only two records. If weights of two fish with the same length were considerably different, the resulting variance: mean ratio was much greater than 0.01. Three fish longer than 600 mm TL had variance:mean ratios greater than 0.01 (Figure 1). Also, in most razorback sucker populations, fish less than 300 mm TL were absent and length ranges were relatively narrow. Few population data sets contained data for small fish (about ≤100 mm TL). Because the variance:mean ratio for razorback suckers of about 110 mm was less than 0.01, we accepted a minimum length of 110 mm. Maximum total lengths, set at lengths of the largest individual fish in our samples, were 688 mm for flannelmouth sucker, 881 mm for razorback sucker, 522 mm for roundtail chub, and 492 mm for humpback chub.

The W_s equation for flannelmouth sucker from 17 populations (Table 1) is

$$\log_{10}W_s = -5.180 + 3.068 \log_{10}TL$$

where W_s is weight in grams, and TL is total length in millimeters. Variability among slope and intercept values for flannelmouth sucker populations was relatively low, and the minimum level of precision (sample variance <0.002) was achieved with 9 of the 17 populations. The W_s equation developed for flannelmouth suckers satisfied necessary conditions because our data covered the entire geographic range for the species and the minimum level of precision was achieved. Therefore, the standard weight equation developed for flannelmouth suckers should be acceptable for use by fisheries biologists.

The W_s equation based on 20 populations of roundtail chub is

$$\log_{10}W_s = -5.065 + 3.015 \log_{10}TL.$$

Variability among slope and intercept values for roundtail chub was also low, and the minimum level of precision (sample variance <0.002) was achieved for 11 of 20 populations. Mean W_r values exceeded 120 in Fossil Creek, Spring Creek, and East Fork of the Gila River, being much higher than all other populations (Table 1). According to Minckley and DeMarais (2000), roundtail chub inhabiting these water bodies were recently reclassified as headwater chub. Thus, these populations were correctly removed from the analysis. The W_s equation for roundtail chub might be useful for identifying headwater chub populations because headwater chub seem to have a higher W_r . We had few weight-length data for headwater chub. More weight-length data from more populations of this species are needed to conclude that headwater chub have higher W_r values than roundtail chub. The W_s equations developed for roundtail chub satisfied necessary conditions because our data covered the entire geographic range for the species and the minimum level of precision was achieved. The standard weight equation developed for roundtail chub should also be acceptable for use by fisheries biologists.

The W_s equation for humpback chub from 9 populations is

$$\log_{10}W_s = -5.278 + 3.096 \log_{10}TL.$$

Using all nine populations of humpback chub, the minimum level of precision was not achieved. The variance of slopes for this species was 0.005. Weight-length relationships of humpback chub from different populations were more variable across their geographic range than those of the other three species we studied (Table 1), which explains why the minimum level of precision of sample variance was not achieved. Although few data were available for humpback chub, we used almost all available data across the geographic range of the species in developing the W_s equation. Therefore, the W_s equation developed is representative for humpback chub, even though variance is somewhat higher than the 0.002 threshold.

The W_s equation for razorback sucker from 12 populations (Table 1) is

$$\log_{10}W_s = -4.886 + 2.985 \log_{10}TL.$$

Variability among slope and intercept values for razorback sucker populations was relatively low and the minimum level of precision (sample var-

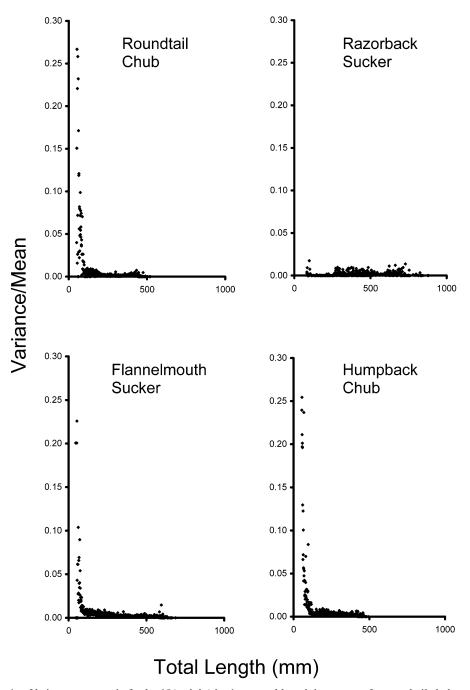


FIGURE 1.—Variance:mean ratio for log10(weight) by 1-cm total length increments for roundtail chub, razorback suckers, flannelmouth suckers, and humpback chub.

iance <0.002) was achieved in 6 of 12 populations of razorback sucker. The slope for the W_s equation for razorback sucker is less than 3.0. Murphy et al. (1991) indicated that slopes less than 3.0 may

be unsuitable for W_s equations for most species because such a slope indicates that the species becomes progressively thinner with length. Slopes less than 3.0 may indicate populations in crowded

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or stunted condition. Low slopes also may be a result of including small fish in the regression (Carlander 1969). However, according to Blackwell et al. (2000), many W_s equations currently accepted for use have slopes less than 3.0. In addition, slopes of weight–length regressions of different populations of razorback suckers were similar. Therefore, our analysis suggests that the W_s equation for razorback suckers is appropriate.

The goal of our study was similar to that of Bister et al. (2000), who were interested in encouraging expanded use of W_r outside of traditional sport fish management. Many of the indices and analysis techniques used for years to successfully assess sport fish populations would also be useful for nongame fish management with little modification. We suggest that standardization of nongame fish survey techniques, for example using indicies such as W_r , would benefit managing entire aquatic ecosystems.

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